Introduction to Computational Linguistics

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Regular Relations

- Regular expressions can contain two kinds of symbols: unary symbols and symbol pairs.
 - Unary symbols (a, b, etc) denote strings.
 - Symbol pairs (a:b, a:0, 0:b, etc.) denote pairs of strings.
- The simplest kind of regular expression contains a single symbol. E.g., "a" denotes the set {a}.
- Similarly, the regular expression "a:b" denotes the singleton relation $\{\langle a, b \rangle\}$.
- A regular relation can be viewed as a mapping between two regular languages. The a:b relation is simply the crossproduct of the languages denoted by the expressions a and b.

Finite-State Transducer

Definition 10 (FST) A finite-state transducer is a 6-tuple $(\Sigma_1, \Sigma_2, Q, i, F, E)$ where

 Σ_1 is a finite alphabet, (called the *input alphabet*)

 Σ_2 is a finite alphabet, (called the *output alphabet*)

Q is a finite set of states,

 $i \in Q$ is the *initial state*,

 $F \subseteq Q$ the set of *final states*, and

 $E \subseteq Q \times (\Sigma_1^* \times \Sigma_2^*) \times Q$ is the set of edges.

Constructing Regular Relations

Crossproduct: A .x. B

- The crossproduct operator, .x., is used only with expressions that denote a regular language; it constructs a relation between them.
- [A .x. B] designates the relation that maps every string of A to every string of B. If A contains x and B contains y, the pair $\langle x, y \rangle$ is included in the crossproduct.

Constructing Regular Relations

- Composition: A .o. B
 - Composition is an operation on relations that yields a new relation. [A .o. B] maps strings that are in the upper language of A to strings that are in the lower language of B.
 - If A contains the pair $\langle x, y \rangle$ and B contains the pair $\langle y, z \rangle$, the pair $\langle x, z \rangle$ is in the composite relation.

Properties of Regular Relations

Regular relations in general are not closed under

- complementation,
- intersection, and
- subtraction.

Properties of Transducers

- A transducer is functional iff for any input there is at most one output.
- A transducer is sequential iff no state has more than one arc with the same symbol on the input side.

Replacement Operators

- Unconditional obligatory replacement: $A \rightarrow B =_{def} [[\sim [A []] [A .x. B]]^* \sim [A []]]$
- Unconditional optional replacement:

Contextual obligatory replacement: $A \rightarrow B \parallel L _ R$

meaning: "Replace A by B in the context L _ R."

Non-determinism of *replace* (1)

Example: $ab \rightarrow ba \mid x$ meaning: "replace ab by ba or xnon-deterministically" Sample input: abcdbaba Outputs: bacdbbaa,bacdbxa, xcdbbaa,xcdbxa

Non-determinism of *replace* (2)

Example: $[a b | b | b a | a b a] \rightarrow x$

meaning: "replace ab or b or ba or aba by x"

Sample input: <u>a b</u>a a<u>b</u>a a <u>b a</u> <u>a b a</u>

Outputs: x a axa a x x

Longest match, left-to-right replace

- For many applications, it is useful to define another version of replacement that in all such cases yields a unique outcome.
- The longest-match, left-to-right replace operator, @->, defined in Karttunen (1996), imposes a unique factorization on every input.
- The replacement sites are selected from left to right, not allowing any overlaps.
- If there are alternate candidate strings starting at the same location, only the longest one is replaced.

A Grammar for Date Expressions

- 1To9 = [1|2|3|4|5|6|7|8|9]
- 0To9 = [%0 | 1To9]
- SP = [", "]
- Day = [Monday | ... | Saturday | Sunday]
- Month = [January | ... | November | December]
- Date = [1To9 | [1 | 2] 0To9 | 3 [%0 | 1]]
- Year = 1To9 (0To9 (0To9 (0To9)))

DateExp = Day | (Day SP) Month " " Date (SP Year)

Marking Date Expressions

- A parser for date expressions can be compiled from the following simple regular expression: DateExp @-> %[... %]
- The above expression can be compiled into a finite-state transducer.
- @-> is a replacement operator which scans the input from left to right and follows a longest-match.
- Due to the longest match constraint, the transducer brackets only the maximal date expressions.
- The dots mean: identity with the upper string. The whole expression means: replace DateExp by DateExp surrounded by brackets.

Overgeneration Problem

- The grammar for date expressions accepts illegal dates.
- Example: It admits dates like "February 30, 2007".
- More generally:
 - If a grammar admits strings that should not be accepted by the grammar, the grammar is said to overgenerate.
 - If a grammar does not admit strings that should be accepted by the grammar, the grammar is said to undergenerate.

Tokenizing Date Expressions

Example:

Today is [Wednesday, August 28, 1996] because yesterday was [Tuesday] and it was [August 27] so tomorrow must be [Thursday, August 29] and not [August 30, 1996] as it says on the program.

Incremental Tokenization

input layer one, two, and so on.

single word layer one ||, || two ||, || and || so || on ||. ||

multi-word layer one ||, || two ||, || and so on ||. ||

Advantages of Incremental Tokenization

- With finite-state transducers incremental tokenization is implemented by the composition operator for transducers.
- Separation of grammar specification and program code: Each analysis level is specified in a well-defined language of regular expressions.
- Transducers for each layer can be stated independently of each other.
- Regular expressions can be compiled automatically into (composed) finite state transducers.

A Quick Guide to Morphology (1)

- Morphology studies the internal structure of words.
- The building blocks are called morphemes. One distinguishes between free and bound morphemes.
 - Free morphemes are those which can stand alone as words.
 - Bound morphemes are those that always have to attach to other morphemes.

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- Agglutinative languages: all bound forms are affixes
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- Polysynthetic languages: more structural information expressed morphologically

A Quick Guide to Morphology (2)

Linguists commonly distinguish three types of morphological processes:

- Inflectional morphology: refers to the class of bound morphemes that do not change word class.
- Derivational morphology: refers to the class of bound morphemes that do change word class.
- Compounding: a morphologically complex word can be constructed out of two or more free morphemes.

Inflectional Morphemes

- Bound morphemes which do not change part of speech, e.g. *big* and *bigger* are both adjectives.
- Typically indicate syntactic or semantic relations between different words in a sentence, e.g. the English present tense morpheme -s in waits shows agreement with the subject of the verb.
- Typically occur with all members of some large class of morphemes, e.g. the pural morpheme -s occurs with most nouns.
- Typically occur at the margins of words as affixes (prefix, suffix, circumfix)

Derivational Morphemes

- Bound morphemes which change part of speech, e.g. *-ment* forms nouns, such as *judgment*, from verbs such as *judge*.
- Typically indicate semantic relations within the word, e.g. the morpheme *-ful* in *painful* has no particular connection with any other morpheme beyond the word *painful*.
- Typically occur with only some members of a class of morphemes, e.g. the suffix *-hood* occurs with just a few nouns such as *brother*, *neighbor*, and *knight*, but not with many others, e.g. *friend*, *daughter*, *candle*, etc.
- Typically occur before inflectional suffixes, e.g. in interpretierbare (Antwort) the derivational suffix bar before the inflectional suffix -e.

Compounding

- A compound is a word formed by the combination of two independent words.
- The parts of the compound can be free morphemes, derived words, or other compounds in nearly any combination:
 - girlfriend (two independent morphemes),
 - looking glass (derived word + free morpheme),
 - *life insurance salesman* (compound + free morpheme).