

The Unger Parser

brought to you today by: Anne Brock

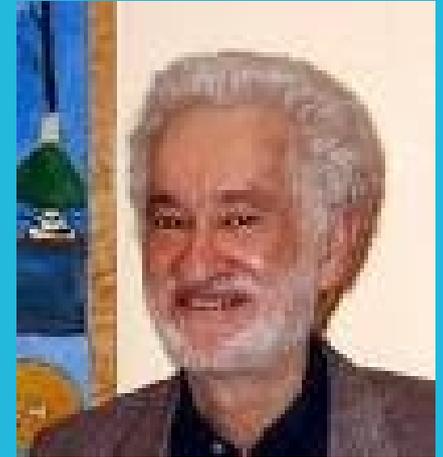
Outline

- Unger - the man
- Unger - the parser
- Unger's method, simple version
- some improvements
- Unger's method, including ϵ - rules

1. Unger: The man

Stephen H. Unger

- Politechnic Institute of Brooklyn
- doctorate at MIT
- Bell Telephone Labs
 - research in digital systems
 - head of development group (first electronic telephone switching system)
- since 1961: Prof. of Computer Science and Electrical Engineering at Columbia University
- 1968: the Parser.
- since: published several books.



2. The Parser

- non-directional
- top-down
- Type 2 grammars (CFG)

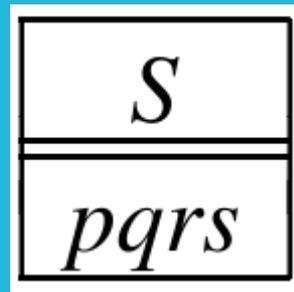


3. Unger's method, simplified

Input: CFG and a String/sentence, for example:

grammar: $S \longrightarrow ABC \mid DE \mid F$

'sentence': $pqrs$



Does S derive...

ABC

DE

F ?

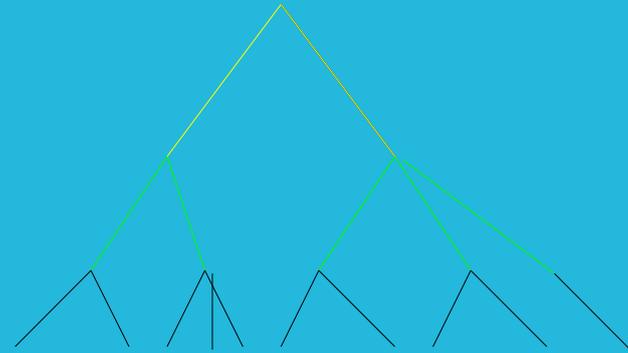
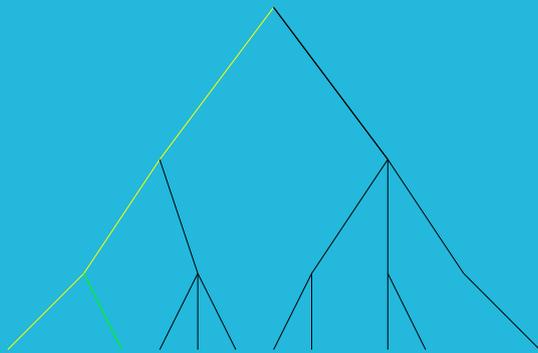
S		
A	B	C
p	q	rs
p	qr	s
pq	r	s

S	
D	E
p	qrs
pq	rs
pqr	s

S
F
$pqrs$

This is a search problem.

Search: **depth-first** or breadth-first?



A more detailed example

Grammar:

$E \rightarrow E + T \mid T$

$T \rightarrow T \times F \mid F$

$F \rightarrow (E) \mid i$

E = Expression

T = Term

F = Factor

+, x = operators

i = operand

Input:

$(i + i) \times i$

Expr
$(i + i) \times i$

$E \rightarrow E + T$

|

T

Expr		
Expr	+	Term
(i	+i)×i
(i+	i)×i
(i+i)×i
(i+i)	×i
(i+i)×	i
(i	+	i)×i
(i	+i)×i
(i	+i)	×i
(i	+i)×	i
(i+	i)×i
(i+	i)	×i
(i+	i)×	i
(i+i)	×i
(i+i)×	i
(i+i)	×	i

Expr		
Term		
Term	×	Factor
(i+i)	×	i

Expr		
Expr	+	Term
(i	+	i)xi

$E \rightarrow^* (i ?$

Expr
Term
Factor
(i

$E \rightarrow E + T \mid T$

$T \rightarrow T \times F \mid F$

$F \rightarrow (E) \mid i$

fails!

to derive: $(i + i) \times i$

$E \rightarrow E + T \quad | \quad T$

- fails!

Expr		
Term		
Term	\times	Factor
$(i+i)$	\times	i

$(E \rightarrow E + T \mid T)$

$T \rightarrow T \times F \mid F$

$T \rightarrow T \times F \mid F$

$F \rightarrow (E) \mid i$

$F \rightarrow (E) \mid i$

- success!

$E \rightarrow E + T \mid T$
 $T \rightarrow T \times F \mid F$
 $F \rightarrow (E) \mid i$

Expr \rightarrow

Term \rightarrow

Term \times Factor \rightarrow

Factor \times Factor \rightarrow

(Expr) \times Factor \rightarrow

(Expr + Term) \times Factor \rightarrow

(Term + Term) \times Factor \rightarrow

(Factor + Term) \times Factor \rightarrow

(i + Term) \times Factor \rightarrow

(i + Factor) \times Factor \rightarrow

(i + i) \times Factor \rightarrow

(i + i) \times i

4. Room for improvement...

- consider the actual terminal symbols
- consider the length of your input

5. Unger's method with ϵ -rules

$S \rightarrow ABC$

$B \rightarrow SD$

try and derive:

$B \rightarrow pqr$

S		
A	B	C
		pqr
	p	qr
	pq	r
	pqr	
p		qr
p	q	r
p	qr	
pq		r
pq	r	
pqr		

$S \rightarrow ABC$

$B \rightarrow SD$

...

B	
S	D
	pqr
p	qr
pq	r
pqr	

What to do about it?

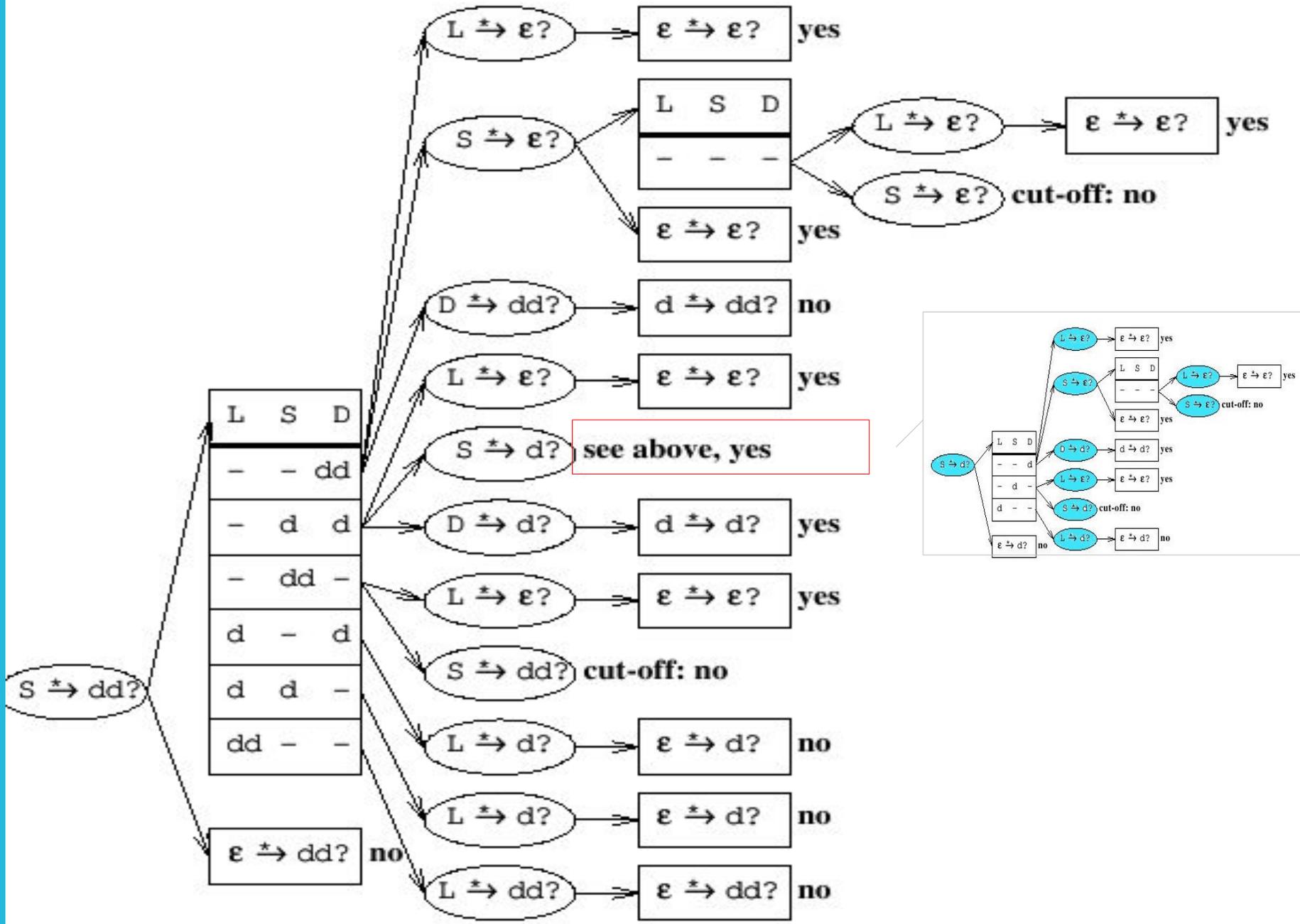
-> Keep a list of currently considered questions!

An example.

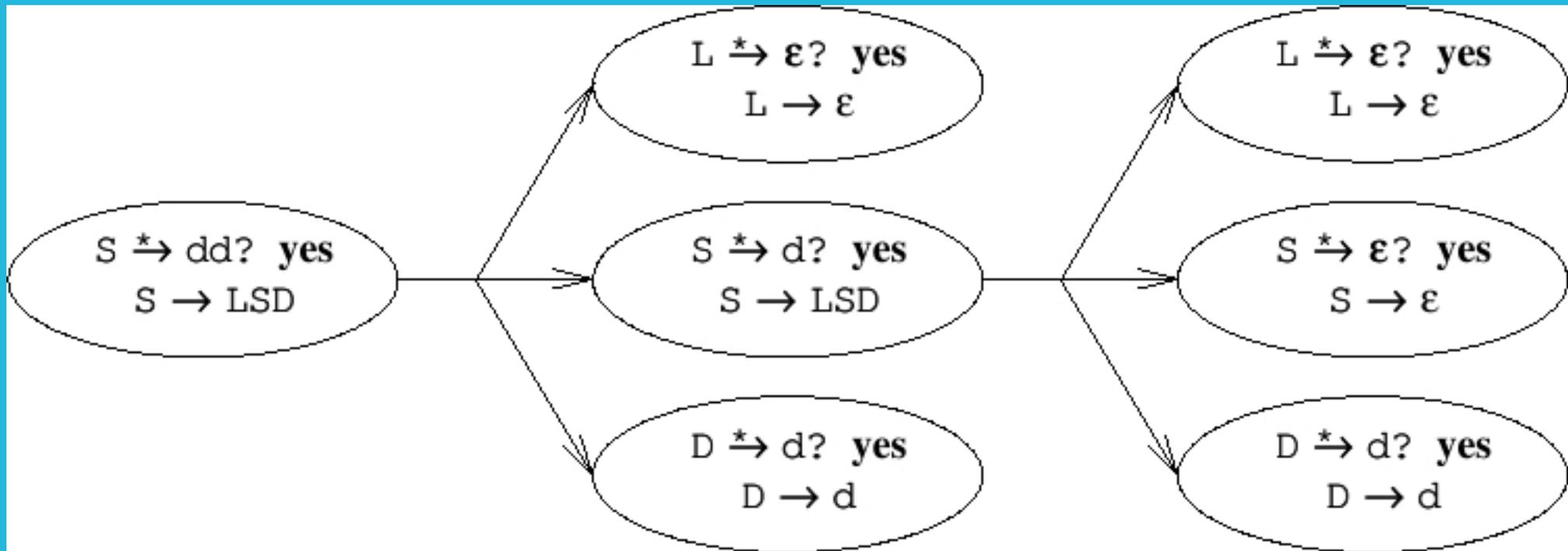
S	→	LSD ε
L	→	ε
D	→	d

How does this grammar derive **d** ? **dd** ?

dd ?



$S \xrightarrow{*} d?$



$S \rightarrow LSD \rightarrow SD \rightarrow LSDD \rightarrow SDD \rightarrow DD \rightarrow dD \rightarrow dd.$

Summary

The Unger parser:

- is a non-directional, top-down parser;
- will consider each possible (and impossible) solution;
- requires at least polynomial, if not exponential time;
- is slightly improved by
 - matching input with possible derived terminals
 - calculating possible length, special case ϵ
 - remembering answers.

?

Sources

Grune, Dick and Jacobs, Cerial 1990. *Parsing Techniques. A Practical Guide.* New York: Ellis Horwood Limited.

Lukasz Kwiatowski. *Reconciling Unger's parser as a top-down parser for CF grammars for experimental purposes.* <http://www.cs.vu.nl/~steven/>

pictures from:

www.cs.columbia.edu/async/images/unger.jpg

http://pinker.wjh.harvard.edu/photos/cambridge_boston/pages/trees%20in%20Cambridge%20Common.htm